**Feedback — Quiz 1**[Help Center](https://accounts.coursera.org/i/zendesk/courserahelp?return_to=https://learner.coursera.help/hc/articles/201523125-Quizzes)

You submitted this quiz on **Sat 9 May 2015 1:29 PM PDT**. You got a score of **10.00** out of **10.00**.

Principio del formulario

**Question 1**

Consider the data set given below

x <- c(0.18, -1.54, 0.42, 0.95)

And weights given by

w <- c(2, 1, 3, 1)

Give the value of *μ* that minimizes the least squares equation ∑*ni*=1*wi*(*xi*−*μ*)2

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| --- | --- | --- | --- |
| **Your Answer** |  | **Score** | **Explanation** |
| 1.077 |  |  |  |
| 0.1471 | Correct | 1.00 |  |
| 0.300 |  |  |  |
| 0.0025 |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

sum(x \* w)/sum(w)

## [1] 0.1471

**Question 2**

Consider the following data set

x <- c(0.8, 0.47, 0.51, 0.73, 0.36, 0.58, 0.57, 0.85, 0.44, 0.42)

y <- c(1.39, 0.72, 1.55, 0.48, 1.19, -1.59, 1.23, -0.65, 1.49, 0.05)

Fit the regression through the origin and get the slope treating y as the outcome and x as the regressor. (Hint, do not center the data since we want regression through the origin, not through the means of the data.)

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| **Your Answer** |  | **Score** | **Explanation** |
| 0.8263 | Correct | 1.00 |  |
| -1.713 |  |  |  |
| 0.59915 |  |  |  |
| -0.04462 |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

coef(lm(y ~ x - 1))

## x

## 0.8263

sum(y \* x)/sum(x^2)

## [1] 0.8263

**Question 3**

Do data(mtcars) from the datasets package and fit the regression model with mpg as the outcome and weight as the predictor. Give the slope coefficient.

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| **Your Answer** |  | **Score** | **Explanation** |
| -9.559 |  |  |  |
| 30.2851 |  |  |  |
| 0.5591 |  |  |  |
| -5.344 | Correct | 1.00 |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

data(mtcars)

summary(lm(mpg ~ wt, data = mtcars))

##

## Call:

## lm(formula = mpg ~ wt, data = mtcars)

##

## Residuals:

## Min 1Q Median 3Q Max

## -4.543 -2.365 -0.125 1.410 6.873

##

## Coefficients:

## Estimate Std. Error t value Pr(>|t|)

## (Intercept) 37.285 1.878 19.86 < 2e-16 \*\*\*

## wt -5.344 0.559 -9.56 1.3e-10 \*\*\*

## ---

## Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

##

## Residual standard error: 3.05 on 30 degrees of freedom

## Multiple R-squared: 0.753, Adjusted R-squared: 0.745

## F-statistic: 91.4 on 1 and 30 DF, p-value: 1.29e-10

attach(mtcars)

cor(mpg, wt) \* sd(mpg)/sd(wt)

## [1] -5.344

detach(mtcars)

**Question 4**

Consider data with an outcome (Y) and a predictor (X). The standard deviation of the predictor is one half that of the outcome. The correlation between the two variables is .5. What value would the slope coefficient for the regression model with *Y* as the outcome and *X*as the predictor?

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| --- | --- | --- | --- |
| **Your Answer** |  | **Score** | **Explanation** |
| 4 |  |  |  |
| 1 | Correct | 1.00 |  |
| 3 |  |  |  |
| 0.25 |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

Note it is given that *sd*(*Y*)/*sd*(*X*)=2 and Cor(Y,X)=0.5. Therefore, we know that the regression coefficient would be:

Cor(*Y*,*X*)*sd*(*Y*)*sd*(*X*)=0.5×2=1

**Question 5**

Students were given two hard tests and scores were normalized to have empirical mean 0 and variance 1. The correlation between the scores on the two tests was 0.4. What would be the expected score on Quiz 2 for a student who had a normalized score of 1.5 on Quiz 1?

|  |  |  |  |
| --- | --- | --- | --- |
| **Your Answer** |  | **Score** | **Explanation** |
| 0.6 | Correct | 1.00 |  |
| 0.16 |  |  |  |
| 0.4 |  |  |  |
| 1.0 |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

This is the classic regression to the mean problem. We are expecting the score to get multiplied by 0.4. So

1.5 \* 0.4

## [1] 0.6

**Question 6**

Consider the data given by the following

x <- c(8.58, 10.46, 9.01, 9.64, 8.86)

What is the value of the first measurement if x were normalized (to have mean 0 and variance 1)?

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| --- | --- | --- | --- |
| **Your Answer** |  | **Score** | **Explanation** |
| 8.86 |  |  |  |
| 9.31 |  |  |  |
| -0.9719 | Correct | 1.00 |  |
| 8.58 |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

((x - mean(x))/sd(x))[1]

## [1] -0.9719

**Question 7**

Consider the following data set (used above as well). What is the intercept for fitting the model with x as the predictor and y as the outcome?

x <- c(0.8, 0.47, 0.51, 0.73, 0.36, 0.58, 0.57, 0.85, 0.44, 0.42)

y <- c(1.39, 0.72, 1.55, 0.48, 1.19, -1.59, 1.23, -0.65, 1.49, 0.05)

|  |  |  |  |
| --- | --- | --- | --- |
| **Your Answer** |  | **Score** | **Explanation** |
| 1.567 | Correct | 1.00 |  |
| 2.105 |  |  |  |
| -1.713 |  |  |  |
| 1.252 |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

coef(lm(y ~ x))[1]

## (Intercept)

## 1.567

**Question 8**

You know that both the predictor and response have mean 0. What can be said about the intercept when you fit a linear regression?

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| **Your Answer** |  | **Score** | **Explanation** |
| Nothing about the intercept can be said from the information given. |  |  |  |
| It must be exactly one. |  |  |  |
| It is undefined as you have to divide by zero. |  |  |  |
| It must be identically 0. | Correct | 1.00 |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**The intercept estimate is $\bar Y - \beta\_1 \bar X$ and so will be zero.

**Question 9**

Consider the data given by

x <- c(0.8, 0.47, 0.51, 0.73, 0.36, 0.58, 0.57, 0.85, 0.44, 0.42)

What value minimizes the sum of the squared distances between these points and itself?

|  |  |  |  |
| --- | --- | --- | --- |
| **Your Answer** |  | **Score** | **Explanation** |
| 0.573 | Correct | 1.00 |  |
| 0.8 |  |  |  |
| 0.36 |  |  |  |
| 0.44 |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

This is the least squares estimate, which works out to be the mean in this case.

mean(x)

## [1] 0.573

**Question 10**

Let the slope having fit Y as the outcome and X as the predictor be denoted as *β*1. Let the slope from fitting X as the outcome and Y as the predictor be denoted as *γ*1. Suppose that you divide *β*1 by *γ*1; in other words consider *β*1/*γ*1. What is this ratio always equal to?

|  |  |  |  |
| --- | --- | --- | --- |
| **Your Answer** |  | **Score** | **Explanation** |
| *Var*(*Y*)/*Var*(*X*) | Correct | 1.00 |  |
| 2*SD*(*Y*)/*SD*(*X*) |  |  |  |
| 1 |  |  |  |
| *Cor*(*Y*,*X*) |  |  |  |
| Total |  | 1.00 / 1.00 |  |

**Question Explanation**

The *β*1=*Cor*(*Y*,*X*)*SD*(*Y*)/*SD*(*X*) and *γ*1=*Cor*(*Y*,*X*)*SD*(*X*)/*SD*(*Y*). Thus the ratio is then *Var*(*Y*)/*Var*(*X*).

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